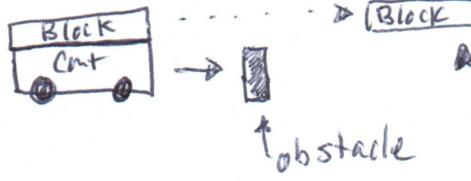


9/17 & 9/18/19 - Newton 1st and 3rd Review and ~~Kinetic~~ Kinematic Eqn derivations

### Newton's 1st Law

Folks struggled with the suitcase question on Homework and seat belt one quiz.

Demo: Cart with wood block, ~~what will happen when cart hits obstacle?~~ where will the block go?



Cart hits obstacle

Block keeps going forward

An object in motion stays in motion unless acted upon by an unbalanced force

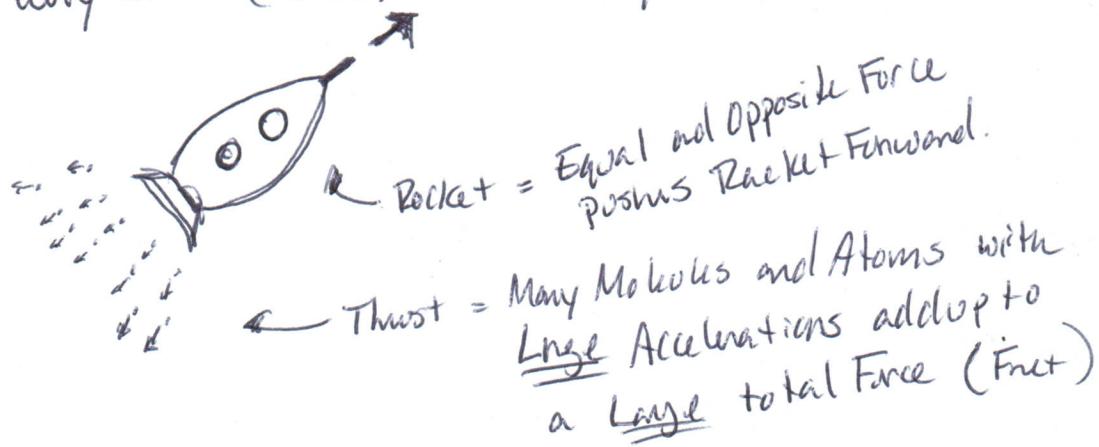
some try with suitcase and using a car.

If we are not attached to the car when it stops, we don't stop.

There is no unbalanced Force acting upon ~~you~~ you, unless you are wearing a seat belt!

### Newton's 3rd Law

Folks struggled with Rocket question. Although it's true that the Rocket does not encounter air resistance in space that will slow it down, the reason that a Rocket can maneuver and move around in space though is Newton's 3rd Law; For every action (Force) there is an equal and opposite reaction (-Force)



### Derive Kinematic Equations from Graphs

- Use Class Compiled Kinematic Data sheet on DP to help with this (or your own data)
- Use Handout you received in class (also linked on DP) to help guide you in this

9/7 & 9/18 - Newton's 1st and 3rd Law and Kinematic Eqn derivation

### Uniform Motion Graph

What is the shape of this graph?  $\rightarrow$  linear!

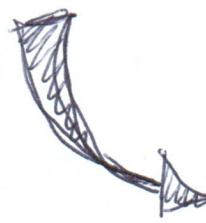
What is general math eqn for a line?  $y = mx + b$  or  $f(x) = mx + b$

What does the eqn look like for our graph?  $\rightarrow s(t) = mt + b$

What is  $b$ ?  $\rightarrow$  y intercept... when the value on horizontal ( $x$  or  $t$ ) axis is zero ( $t=0$ ) so this is the starting position ( $s_0$ )

What is  $m$ ?  $\rightarrow$  slope!  $\frac{\Delta y}{\Delta x} = \frac{y_f - y_0}{x_f - x_0}$  for our graph  $m = \frac{\Delta s}{\Delta t} = \frac{s_f - s_0}{t_f - t_0}$

What is  $\frac{\Delta s}{\Delta t}$ ?  $\rightarrow \frac{\text{change in position}}{\text{change in time}} = \frac{\text{displacement}}{\text{time}} = \text{Velocity}$   $= V$



$$s(t) = \frac{\Delta s}{\Delta t} t + s_0 = Vt + s_0$$

Position as a function of time, constant velocity (no acceleration)

### 1 dimensional X graph AND 1 dimensional Y graph

What is the shape of this graph?  $\rightarrow$  it's a 2nd order polynomial, Quadratic part of a Parabola

What is the general form?  $\rightarrow Ax^2 + Bx + C = y = f(x)$  } What are A, B, & C?

What is it for our graph?  $\rightarrow At^2 + Bt + C = s(t)$  } We will get time!

This general equation is true for Youswell (just signs are different)

What about the X graph going?  $\rightarrow$  positive

Is the object accelerating?  $\rightarrow$  Yes!

What about the Y graph going?  $\rightarrow$  negative

Is the object accelerating?  $\rightarrow$  Yes!

When an object is accelerating, how do we talk about velocity? We can see that the velocity is different at every point!

We can talk about the average velocity ( $V_{avg}$ )